Mutliple Access and Flow Control

Jean Walrand http://www.eecs.berkeley.edu/~wlr

Collaborators:



Libin Jiang



May 20, 2008 USC

EECS U.C. Berkeley



Three Ideas

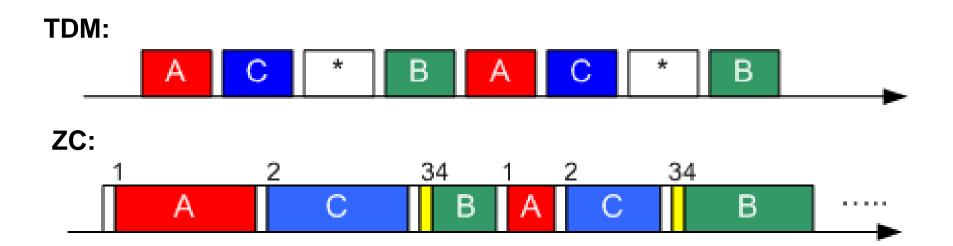


- A Zero-Collision MAC Protocol [Jiwoong Lee]
 - Variable-Length Packets
 - Quick Convergence
 - Should work over WiFi hardware
- A Fair MAC Protocol [Libin Jiang]
 - Achieves short-term fairness
- Decentralized MAC/Flow Control [Libin Jiang]
 - Maximizes Social Welfare (almost)

Zero-Collision MAC Protocol [Jiwoong Lee]



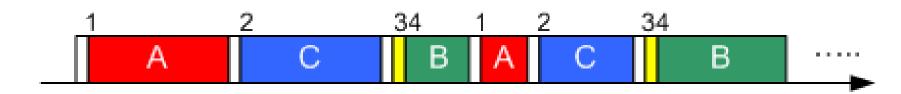
- Example: Three nodes (A, B, C)
- Assume system is designed for up to 4 nodes
- Nodes choose a different number in {1, 2, 3, 4}
- Say A = 1, B = 4, C = 2
- Nodes transmit in order: AC*B, AC*B, ... [* = idle]



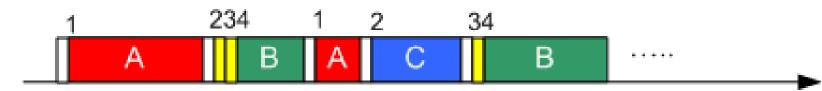
Zero-Collision MAC Protocol [Jiwoong Lee]



• Thus: AC*B, AC*B, ...

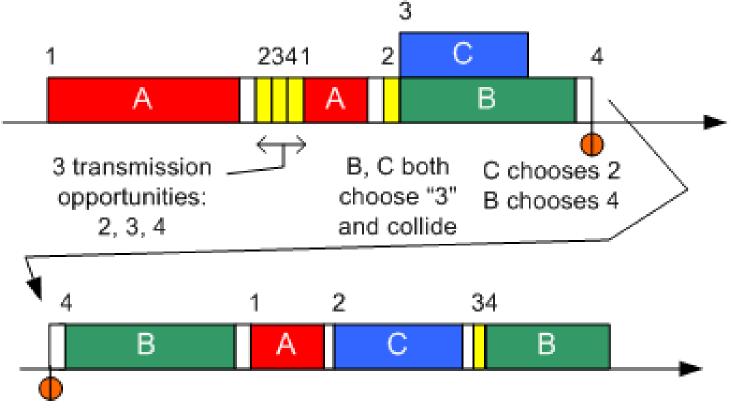


• If C skips a turn: A**B, AC*B, ...



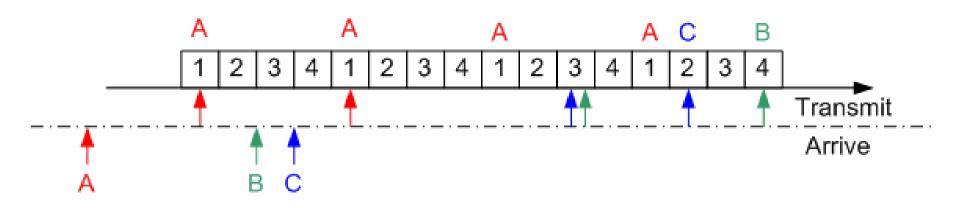


- Slot selection:
 - Try a free slot
 - If collide, try another free slot



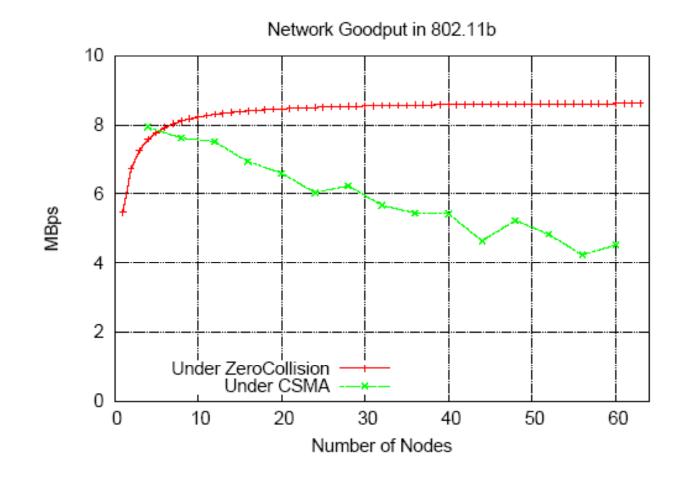


Focusing on the slot selection process:



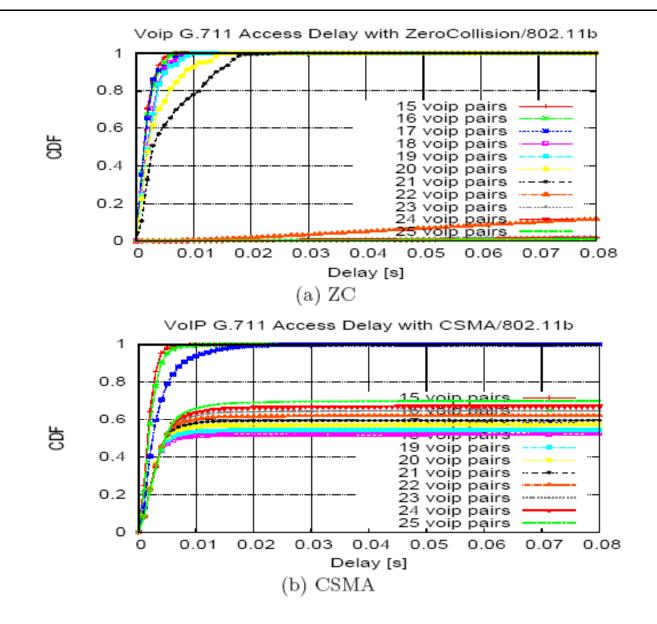
- This selection converges quickly
- One station may have more than one slot (e.g., AP)
- The number of slots can be adapted to demand
- Low jitter, efficient







Zero-Collision MAC Protocol [Jiwoong Lee]

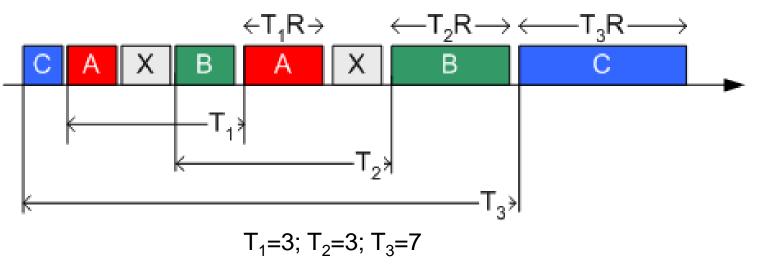


A Fair MAC Protocol [Libin Jiang]



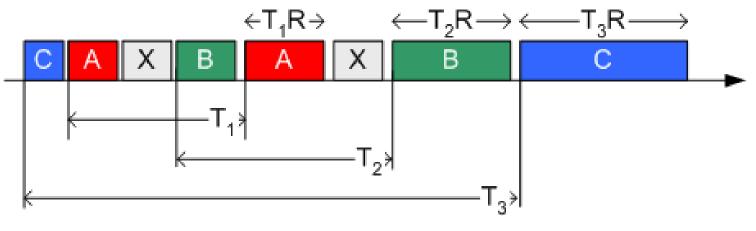
• Basic Ideas:

- Multiple access is random
- This results in short-term unfairness
- For improved fairness, let a node transmit in proportion to its waiting time (measured in "virtual slots")
 - A "virtual slot" is a transmission or a collision
- Thus: wait T virtual slots \rightarrow transmit T.R bits



A Fair MAC Protocol [Libin Jiang]





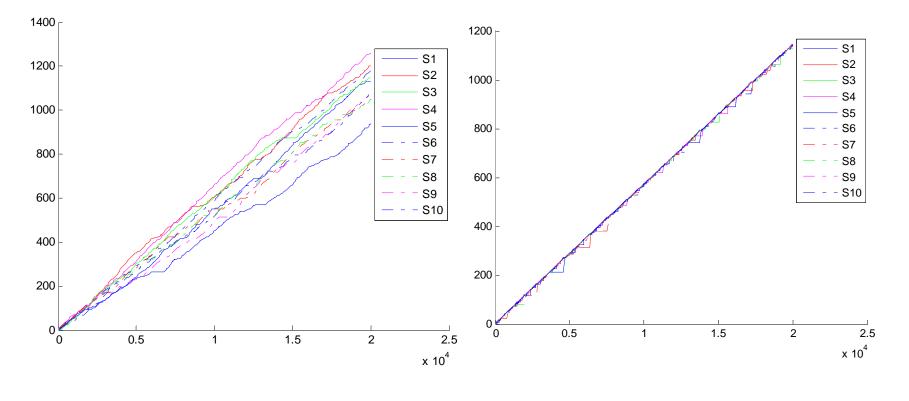
T₁=3; T₂=3; T₃=7

- Within a period of N virtual slots, each node transmit (about) N.R bits
- One can introduce different weights

A Fair MAC Protocol [Libin Jiang]



• Short-Term Fairness:





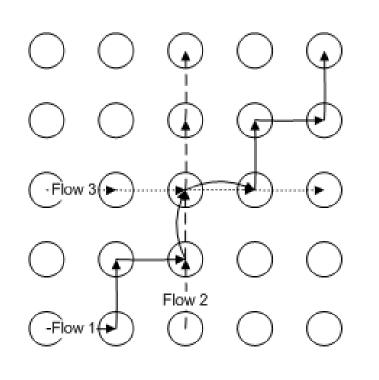
New Protocol

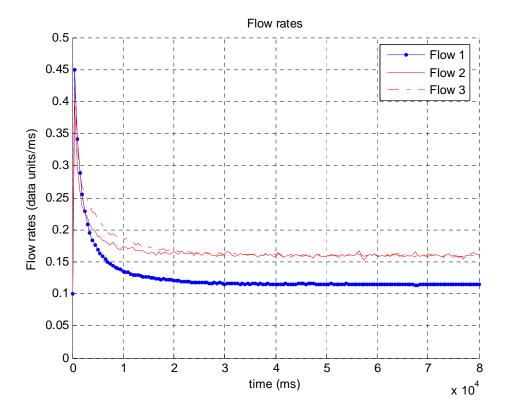


- Goal: Maximize total utility in Ad Hoc network
- Mechanism: Adjust backoff times based on difference in backlogs between sender and receiver
- Details: Consider a link from A to B
 - Waiting time at A is exponential with rate R
 - Rate R = exp{r}
 - $r(n) = \alpha[Q(A,n) Q(B,n)]$
 - Q(A, n) is backlog at A for B at time n
 - α is a step size
 - At ingress G: adjust input rate according to Q(G)



• Example





Theoretical optimal flow rates for the three flows are 0.1111, 0.1667 and 0.1667



- Details:
 - We design distributed algorithm to solve

$$\begin{aligned} \max_{\mathbf{u},\mathbf{s},\mathbf{f}} & -\sum_{i=1} u_i \log(u_i) + \sum_{m=1}^M v_m(f_m) \\ \text{s.t.} & s_{km} \ge 0, \forall k, m : a_{mk} = 1 \\ & s_{km} \ge s_{up(k,m),m}, \forall m, k : a_{mk} = 1, k \ne \delta(m) \\ & s_{km} \ge f_m, \forall m, k : k = \delta(m) \\ & \sum_i u_i \cdot x_k^i = \sum_{m:a_{mk}=1} s_{km}, \forall k \\ & u_i \ge 0, \sum_i u_i = 1 \end{aligned}$$

The actual Network-Utility-Maximization is (subject to the same constraints)

$$\max_{\mathbf{u},\mathbf{s},\mathbf{f}} \sum_{m=1}^{M} v_m(f_m)$$



- Details (continued):
 - The distributed algorithm is composed of
 - Maximal backpressure
 - Each link k always serve the flow with the maximal backpressure z_k

 $z_k = \max_{m:a_{mk}=1} (q_{km} - q_{down(k,m),m})$

CSMA scheduling

• Link k sets $r_k = z_k$

- Rate control by the sources $\max_{f_m} \{ v_m(f_m) - q_{km} f_m \}$
- Updating the dual variables

$$q_{km} \leftarrow [q_{km} + \alpha(s_{up(k,m),m} - s_{km})]_+$$



Thanks!

Jean Walrand EECS, Berkeley