

at the boundary  $\sum p_i^* = 1$   
 $T_i = p_i^* \prod_{j=1}^i (1 - p_j)$

throughput regions if multiple users w/ different access probabilities

~ 36-37%

Slotted Aloha:  $\max_{p^*} \frac{p^*}{n}$  →  $\frac{e}{1}$  throughput

Scheduled Access

- TDMA
- channelized protocols

Randomized Access

- slotted Aloha
- CSMA

Medium Access

Lecture Notes

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RACH

channel in Cellular

resources - control signals  
channel - basically slotted  
Access

for larger packets CSMA throughput  
can be high 90% or more

approximate in pCSMA.

arrive steadily  
state probabilities

modelled as a Markov Chain

802.11 CSMA → FSM describing  
the backoff step & carrier  
value

$$\text{Throughput} = \frac{\delta \cdot (1-p)^n + \tau n p (1-p)^{n-1}}{\tau (1-p)^n + \tau n p (1-p)^{n-1}}$$

CSMA: p-persistent CSMA  
contention slots  $\delta \leq \tau_c \leq \tau_s$

# Scheduled access:

channelized systems

Channel: {  
- Time  
- Frequency  
- codes (CDMA)

Orthogonal  
Dimensions

(ideally) => no interference.

many applications, e.g. industrial, sensing, have periodic traffic.

Another example: AMR

